Understanding the Gains from Wage Flexibility: The Exchange Rate Connection

By Jordi Gali and Tommaso Monacelli

Discussion: Mirko Wiederholt

Goethe University Frankfurt

11/28/2013

Background

- In a closed-economy New Keynesian model, the effects of a policy that reduces labor costs largely depend on monetary policy.
- Consumption Euler equation

$$c_t = E_t \left[-(x_{t+1} - x_t + i_t - \pi_{t+1}) + c_{t+1} \right]$$

• Example: Eggertsson-Woodford discount factor shock $(\Pr\{x_{t+1} = x_t\} = \mu)$ and $i_t = \phi \pi_t$

$$c = x - \frac{\phi - \mu}{1 - \mu} \pi$$

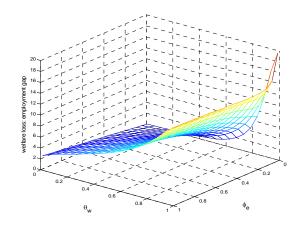
Background

- Moving from a closed to an open economy model has two effects:
- "endogenous policy channel"
- "competitiveness channel"

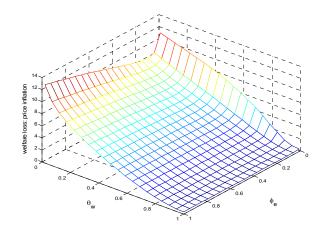
This paper

- A small open economy New Keynesian model with a labor tax and Calvo sticky wages
- Effect of a temporary reduction in labor costs on employment is positive, but smaller the more the central bank seeks to stabilize the exchange rate.
- Increase in wage flexibility may reduce welfare, and more likely so in economies with an exchange rate-driven monetary policy.

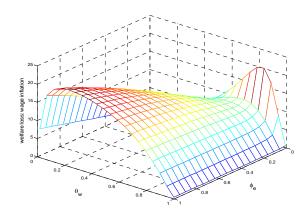
Figure 4
Welfare Loss Decomposition: Demand Shocks



(a) Employment component



(b) Price inflation component



(c) Wage inflation component

Main comment

• Great paper!

Suggestion I

- The first policy experiment looks very much like policy proposals for the euro-area, but could look even more so.
- Two country model
- To which extent does the success of a labor market reform in country B depend on the interest rate being lowered in both country A and country B?

Suggestion II

More generally, currently one parameter at a time is being changed.
 Can one make a policy a clear success by jointly moving two parameters?

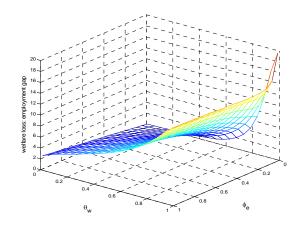
Suggestion III

The loss function

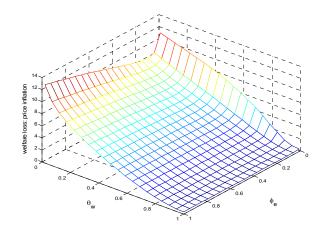
$$L \sim \left(1 + \varphi\right) \textit{var}\left(\tilde{\textit{n}}_{\textit{t}}\right) + \left(\frac{\epsilon_{\textit{p}}}{\lambda_{\textit{p}}\left(1 - \alpha\right)}\right) \textit{var}\left(\pi_{\textit{t}}^{\textit{p}}\right) + \left(\frac{\epsilon_{\textit{w}}}{\lambda_{\textit{w}}}\right) \textit{var}\left(\pi_{\textit{t}}^{\textit{w}}\right)$$

- The three components of the welfare loss have different shapes. Therefore, conclusions about the overall welfare loss will depend strongly on the values of ϵ_p and ϵ_w .
- I recommend looking at the empirical IO literature and the empirical labor literature to calibrate ϵ_p and ϵ_w .

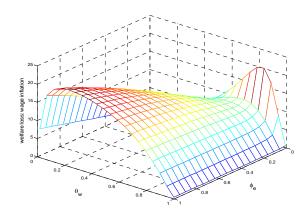
Figure 4
Welfare Loss Decomposition: Demand Shocks



(a) Employment component



(b) Price inflation component



(c) Wage inflation component

Main comment

• Great paper!