

Discussion of:
*Fiscal Multipliers: Liquidity Traps and Currency
Unions*

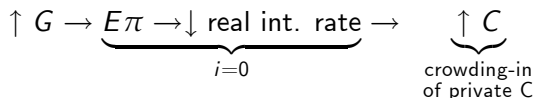
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ECB Public Finance Conference, 11-12 December 2014.

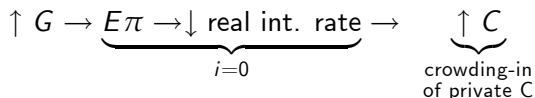
This paper: key role of "inflation channel"

1. Critical in making ZLB fiscal multiplier **large**

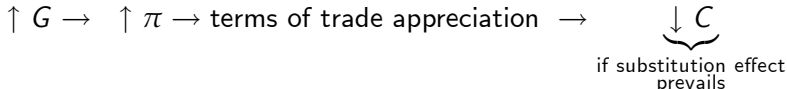


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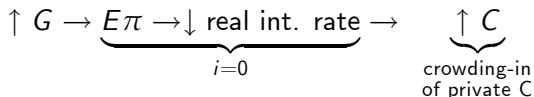


2. Critical in making multiplier in **currency union** smaller than ZLB multiplier

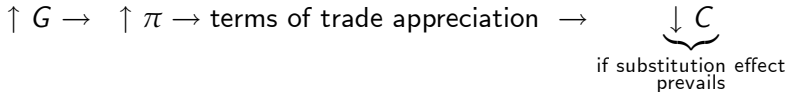


This paper: key role of "inflation channel"

1. Critical in making ZLB fiscal multiplier **large**



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→ The "overreliance" of NK models on the (expected) inflation channel

Questions

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2. Isn't a **muted** inflation response **precisely** what we should expect in **deep recessions**?

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- ▶ $R_t = 1$
- ▶ Assume current price **fixed**

$$\underbrace{(Y_t - G_t)}_{C_t}^{-\sigma} = \beta \frac{\bar{P}_t}{P_{t+1}} (Y_{t+1} - G_{t+1})^{-\sigma} \quad \text{Euler condition}$$

► Rewrite

$$Y_t = \underbrace{G_t}_{\text{contemporan. multiplier}} + \underbrace{\left(\frac{P_{t+1}/\bar{P}_t}{\beta}\right)^{\frac{1}{\sigma}}}_{\text{expectation-based multiplier}} \underbrace{(Y_{t+1} - G_{t+1})}_{\text{income effect}}$$

The equation shows the decomposition of Y_t into three components. The first component is G_t , labeled as the "contemporan. multiplier". The second component is $\left(\frac{P_{t+1}/\bar{P}_t}{\beta}\right)^{\frac{1}{\sigma}}$, labeled as the "expectation-based multiplier". The third component is $(Y_{t+1} - G_{t+1})$, labeled as the "income effect". The "substitution effect" label is positioned above the expectation-based multiplier, and the "income effect" label is positioned above the income effect term.

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► Woodford (2013)

$$\underbrace{2.3}_{\text{total multiplier}} = \underbrace{1}_{\text{contemporan. multiplier}} + \underbrace{1.3}_{\text{expectation-based multiplier}}$$

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- Note: if ΔG purely **temporary** \rightarrow expectation-based multiplier = 0

- ▶ Can a purely **temporary** fiscal expansion generate an increase in **future** output?

$$G_t > 0$$

$$G_{t+1} = 0$$

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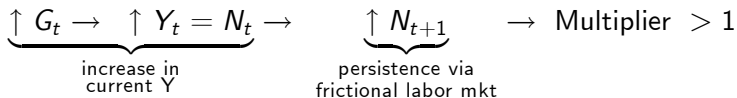
$$\begin{aligned}G_t &> 0 \\G_{t+1} &= 0\end{aligned}$$

- ▶ Can construct equilibrium s.t **multiplier** > 1 can be obtained via future deflation

$$\uparrow G_t \rightarrow \uparrow Y_{t+1} \text{ and } \underbrace{\downarrow P_{t+1}}_{\text{future } \mathbf{deflation}}$$

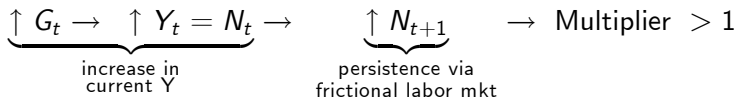
- ▶ Suppose **frictional** labor markets → Unemployment **endogenous** state (e.g Rendahl 2014)

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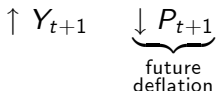
$$Y_{t+1} = N_{t+1} = Y(N_t)$$



- ▶ Suppose CIA constraint binding in t+1

$$\bar{M}_{t+1} = P_{t+1} Y_{t+1}$$

- ▶ Conditional on \bar{M}_{t+1} :



Isn't a muted inflation response precisely what we should expect in deep recessions?

Inflation particularly unresponsive to stimulus policies during recessions

- ▶ General implication of models in which **marginal** cost of hiring differs from the **average** cost (especially in **recessions**)
- ▶ With **frictional** labor markets:
 - ↑ labor market tightness → ↑ marg. cost → ↑ inflation
- ▶ Recession → Demand stimulus policies likely to have a **muted effect** on tightness

General implication of DMP-frictional labor market model

▶ "Labor **supply**"

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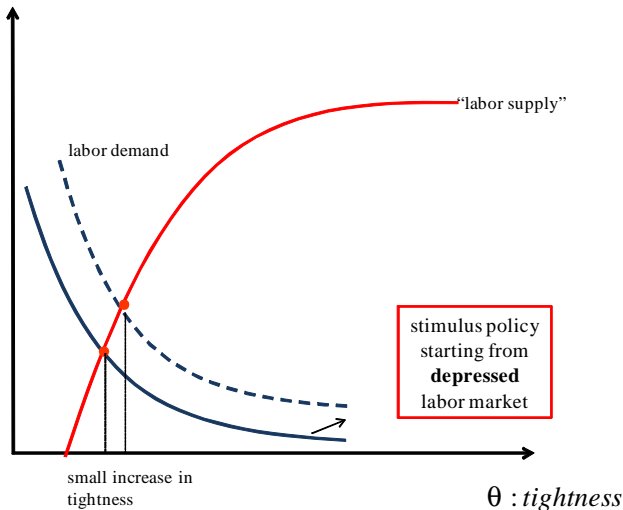
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- ▶ CRS matching function + prod. function with decreasing marginal returns to labor (see e.g. Michaillat 2013)

Non-linear effect on tightness of stimulus policy

N : employment

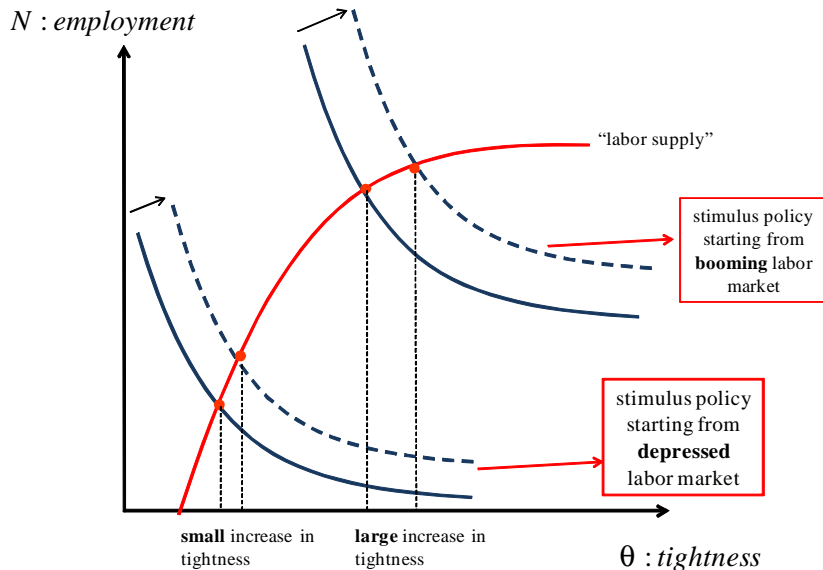


stimulus policy
starting from
depressed
labor market

small increase in
tightness

θ : tightness

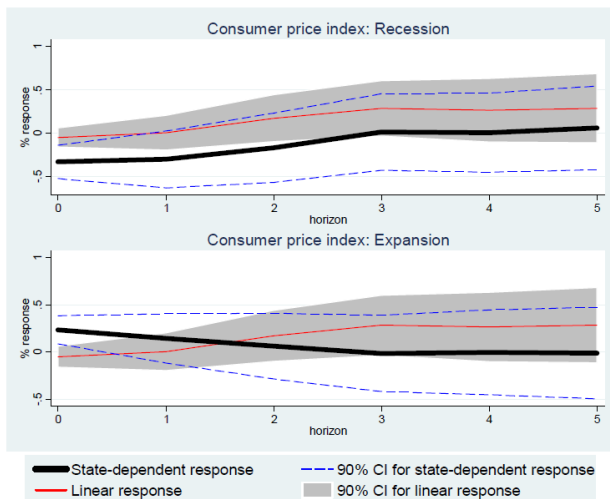
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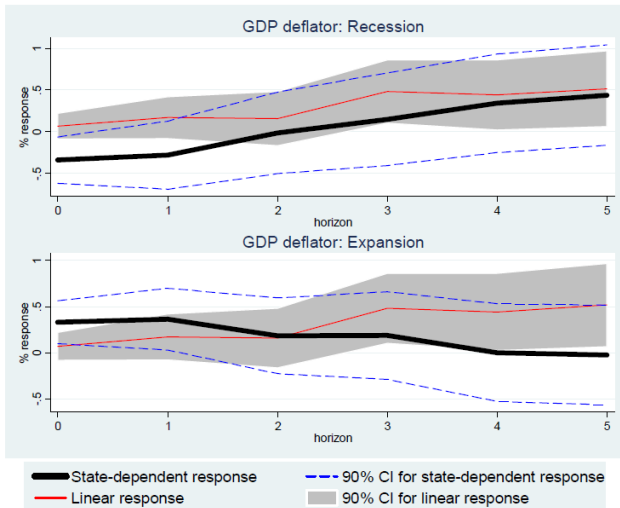
What does the empirical evidence say?

Evidence of state dependence

Source: Auerbach and Gorodnichenko (2011)



- Note: if anything the price level **falls** in recessions.



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- ▶ Ultimately what we want is **components of GDP** to respond to stimulus.
- ▶ Theory and evidence suggest that components of spending that **contract the most** in recessions, i.e. business and durable **investment**, are also the **least reactive** to policy during the same recession.
- ▶ True for all components of spending where

1. **fixed costs** are relevant
2. most of adjustment happens along **extensive margin**

→ See e.g., Berger-Vavra (2013), Winberry (2014)

Conclusions

- ▶ Great and **relevant** paper
- ▶ Doubtful that "inflation channel" truly the key one → Says something about the relevance of NK models for analysis of policy multipliers in deep recessions
- ▶ Focus on models that emphasize **frictional labor markets** and **state-dependency** of fiscal multipliers